

Loose Ends, Remarks, Footnotes, ...

Christoph Flamm

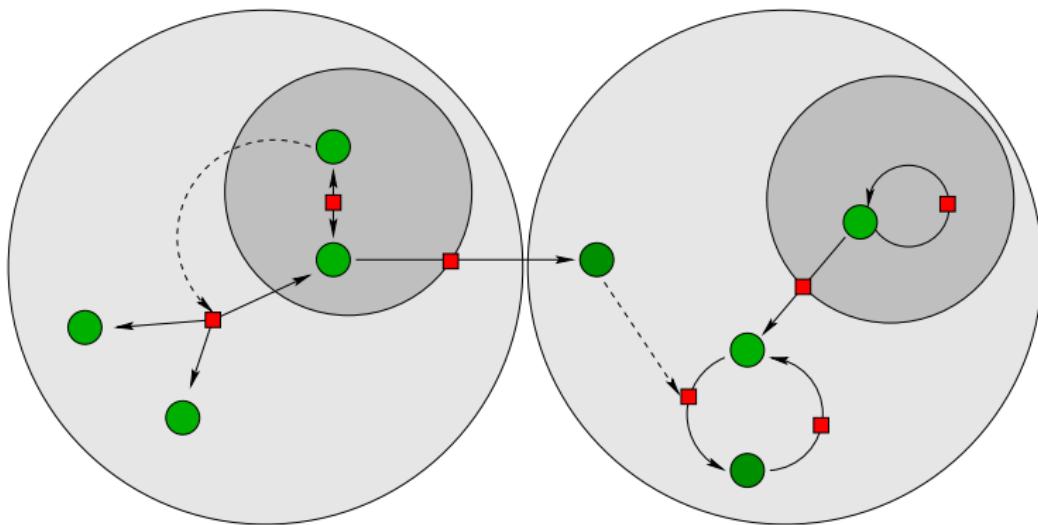
Institute for Theoretical Chemistry
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<http://www.tbi.univie.ac.at/~xtof/>

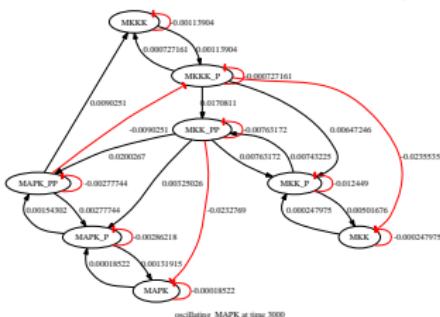
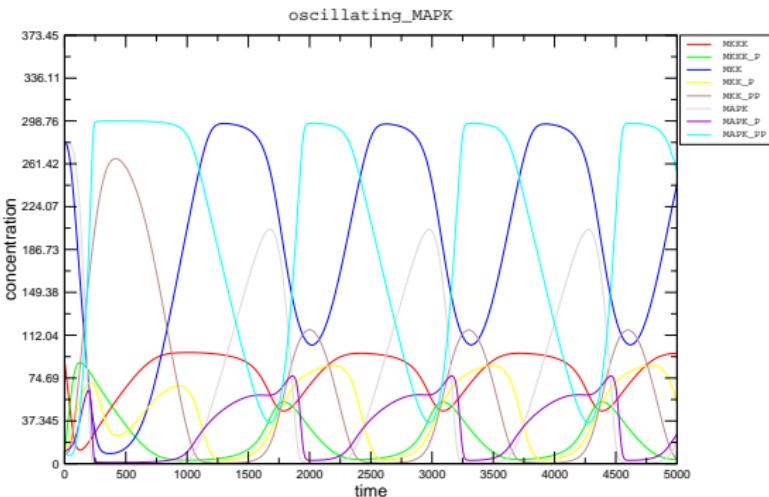
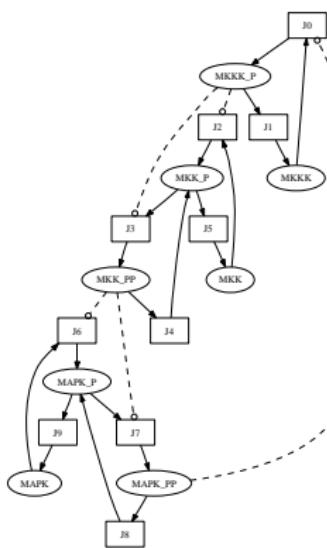
25th February 2005

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SBML the *lingua franca* for Computational Models



The SBML_odeSolver



Inverse Problem Primer

Definition due to Hadamard, 1915: Given mapping
 $A : X \rightarrow Y$, equation

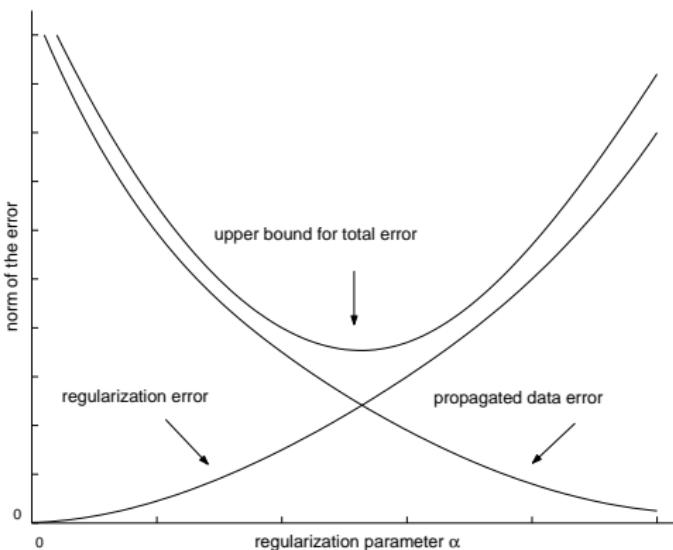
$$A\mathbf{x} = \mathbf{y}$$

is well-posed provided

- ▶ (Existence) For each $\mathbf{y} \in Y$, $\exists \mathbf{x} \in X$ such that $A\mathbf{x} = \mathbf{y}$
- ▶ (Uniqueness) $A\mathbf{x}_1 = A\mathbf{x}_2 \implies \mathbf{x}_1 = \mathbf{x}_2$.
- ▶ (Stability) A^{-1} is continuous.

Equation is ill-posed if one of the above conditions is violated.

Regularization a way to overcome Instabilities



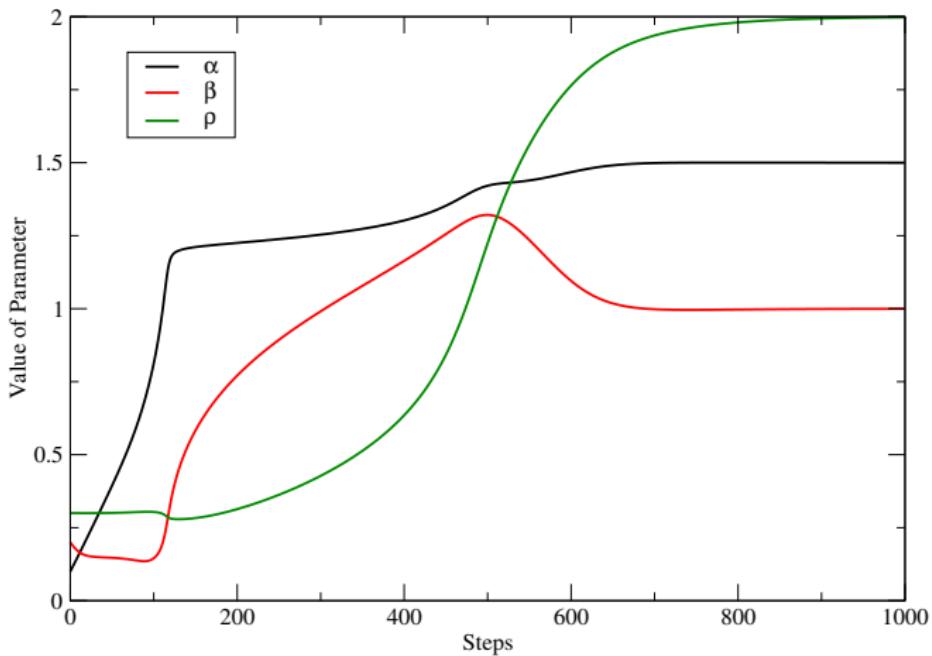
Replace the **ill-posed** problem by a family of neighboring **well-posed** problems.

In other words:

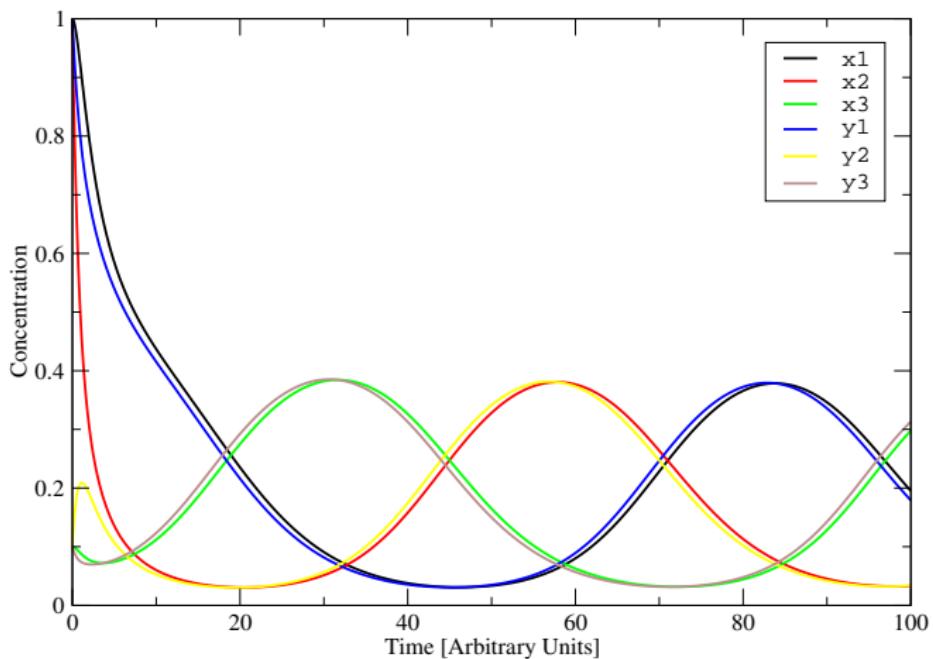
Find an **approximation** (Tikhonov, Landweber Regularization) to the true solution, that depends on the actual data in a **stable** way.

Parameter Optimization

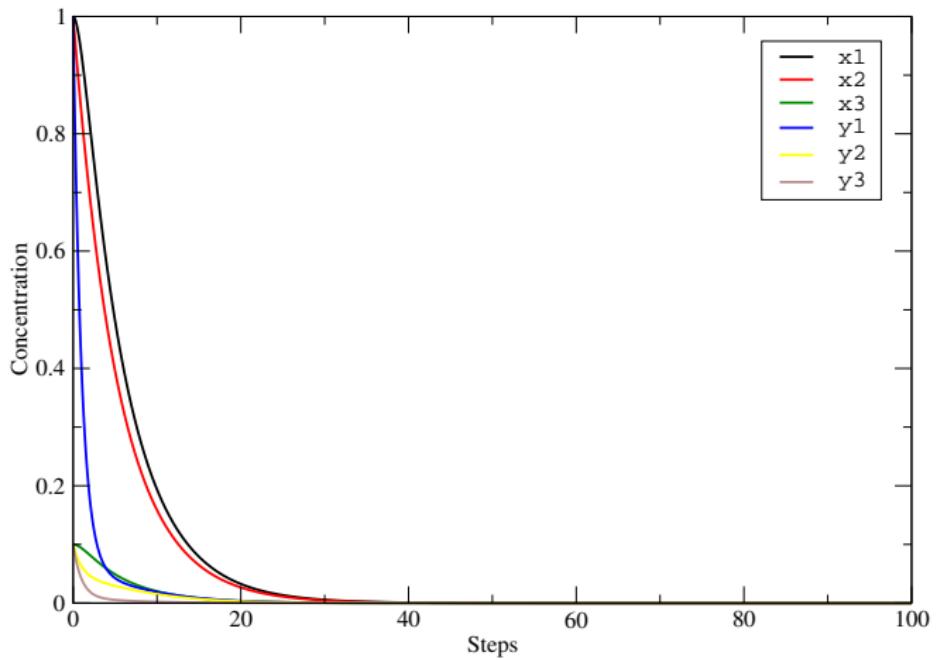
$$\begin{aligned}\dot{x}_i &= \beta \cdot (y_i - x_i) \\ \dot{y}_i &= \alpha \cdot \frac{x_i}{1 + x_i + \rho \cdot x_{i-1}} - y_i\end{aligned}$$



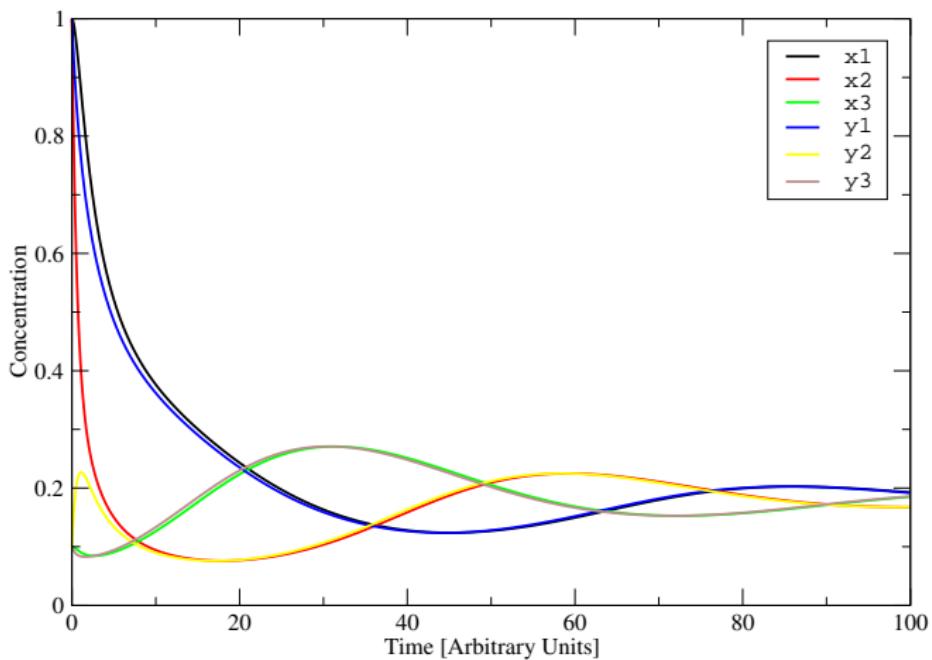
Desired Behavior



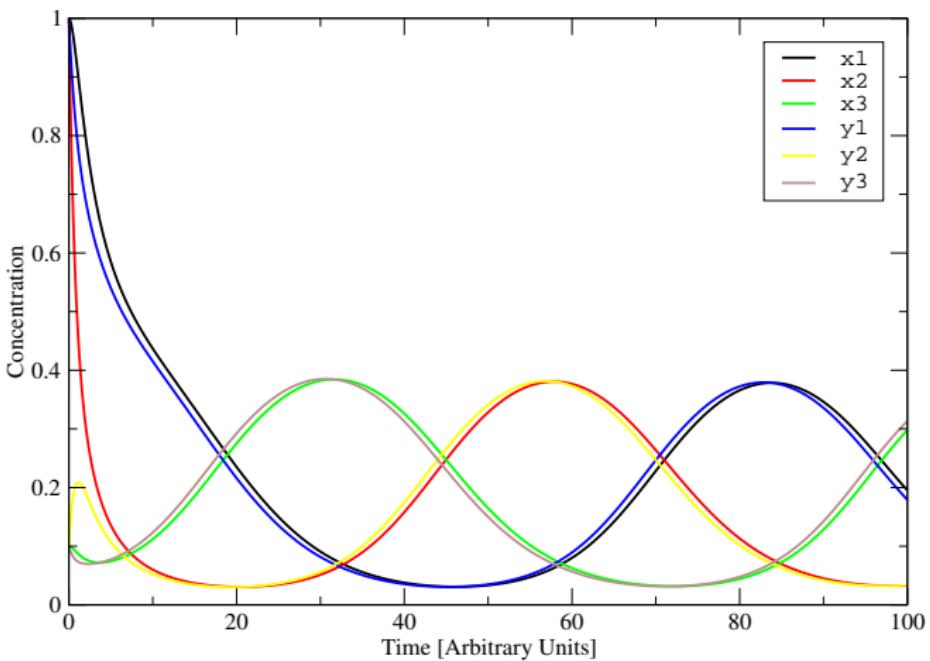
Start Parameters =:(



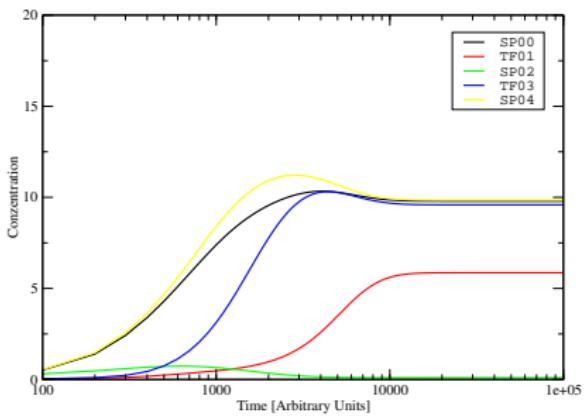
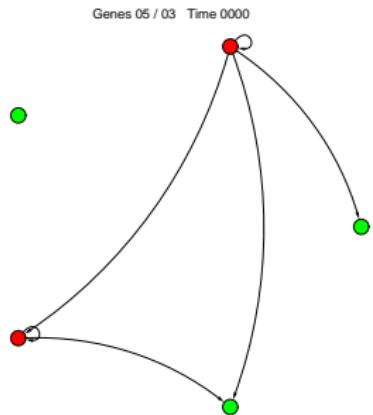
Somewhere in the Middle =:o



EXIT_SUCCESS =;)

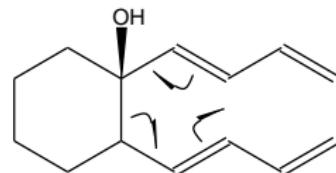
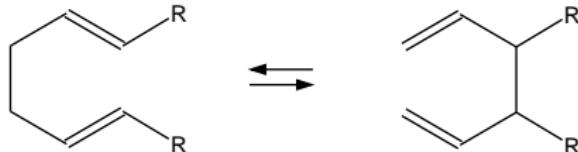


The GRN's Dynamics as Phenotype

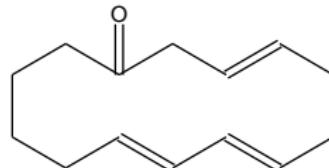
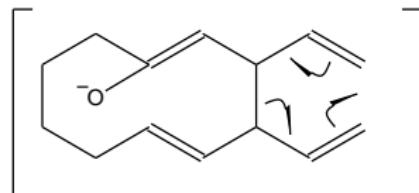
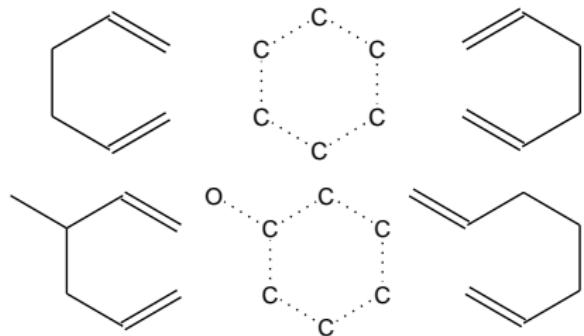


GraphReWrite

Cope Rearrangement



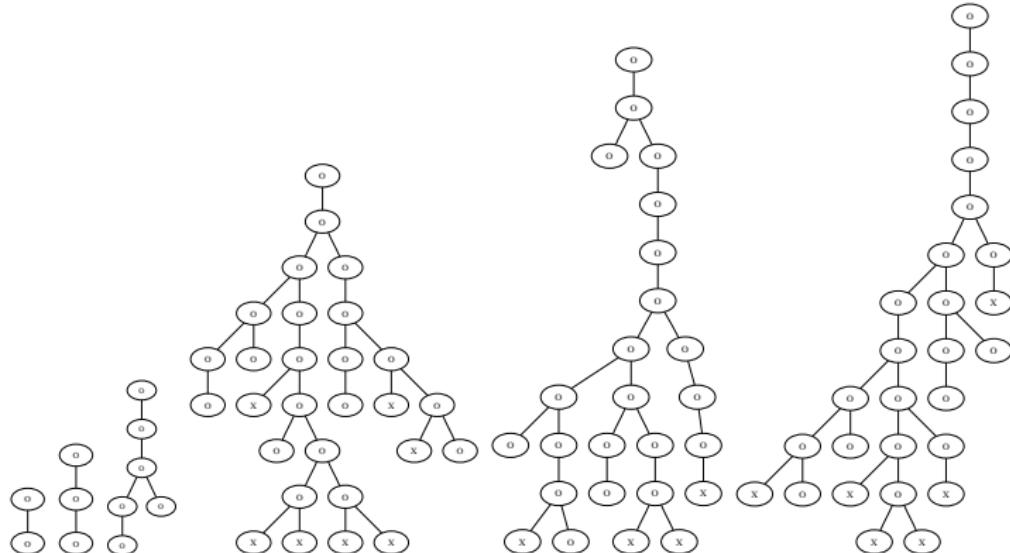
Rewrite Rules



L-System Mimicry

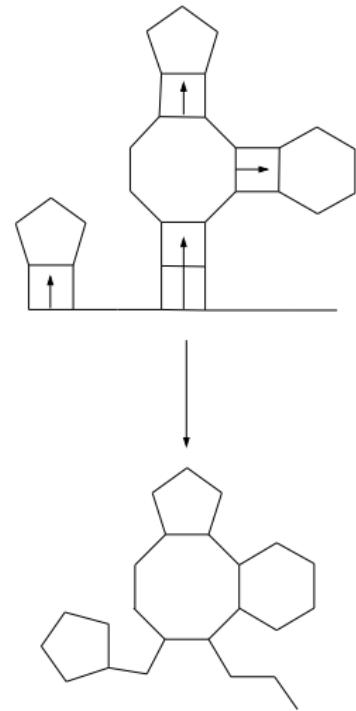
```
# Rule 1          # Rule 2          # Rule 3
#
# 1  2      1  3  2  # 1  2      1   /  # 1  2      1  3
# 0--X ==> 0--0--X  # 0--X ==> 0--0 3  # 0--X ==> 0--0
#
#          #          \          #
#          #          X 4        #
#          #          #
```

Grow your Phenotype

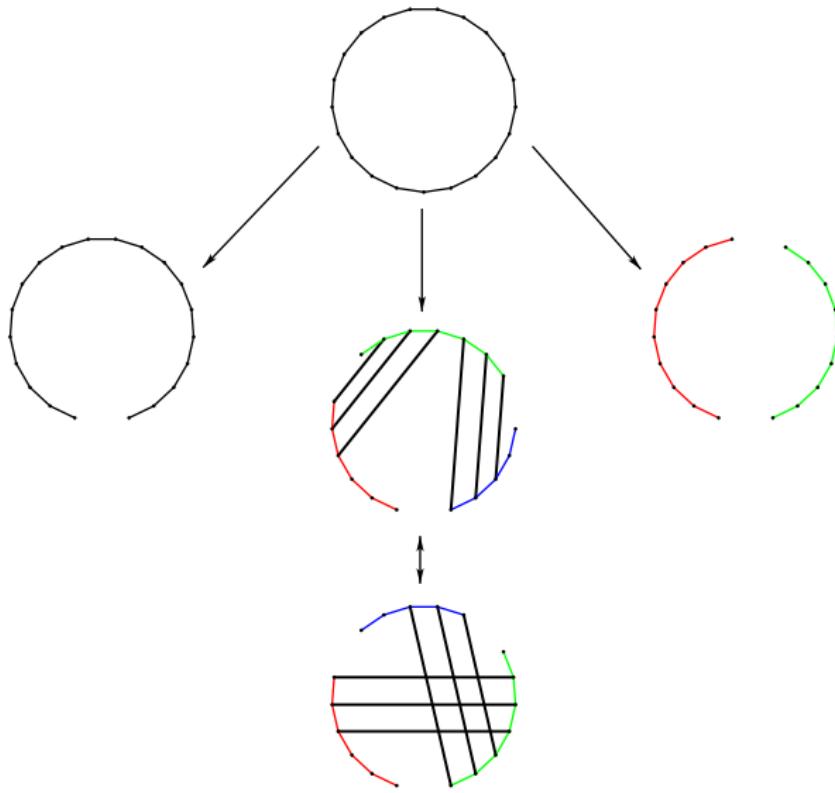


A Codec for GRW Rules

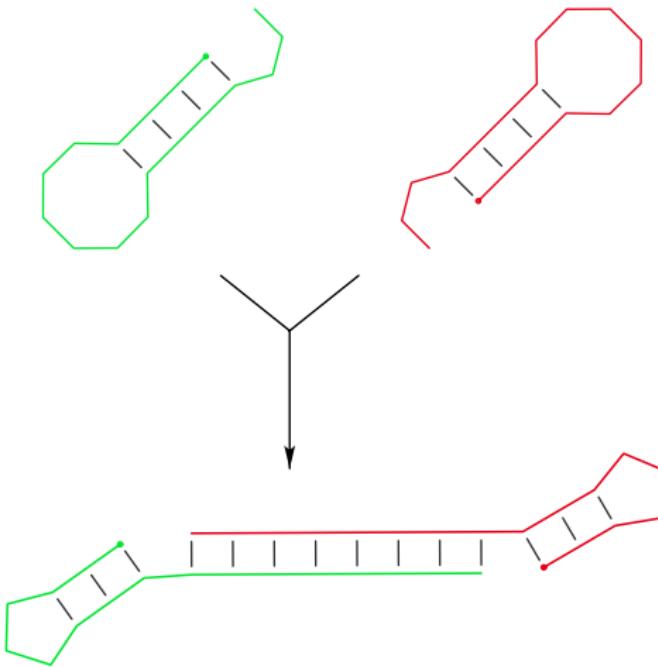
C1CCC2CCCCC2C1	1	11
C1CCCCCC1	8	10
CCC1CCCCC1CC	17	9
CCCCC1CCCCC1	29	8
CCCC1CCCCC1C	36	7
CC1CCCC1	45	6
CC1CCCCCC1	73	5
C1CCCCC1	83	4
CC1CCCCC1C	97	3
CCC1CCCCC1	128	2
CCCCCCCCCCC	9483	1



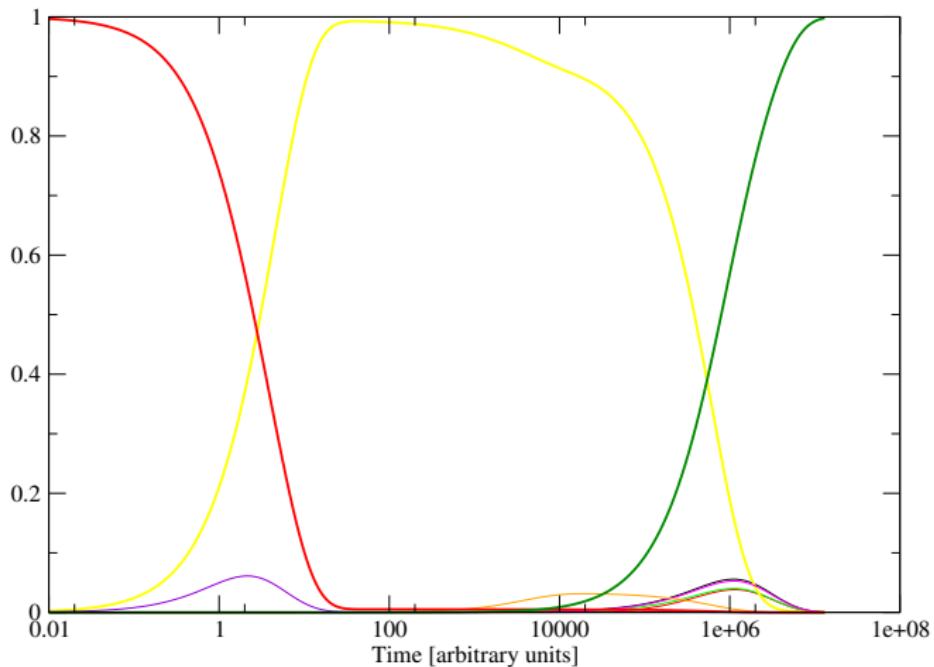
The Genealogy of Folding Variants



The CoFold Problem



CoFold Kinetics



THX to



Elvis Schuster (The King)

Peter Stadler

Ivo Hofacker

Rainer Machné (odeSolver)

Camille Stephan (CelloS)

Stefanie Widder (MiniCellSim)

Lukas Endler (MiniCellSim)

Stefan Müller (Param. Opti.)

Coming up the Cofold-Movie

... =;)